

Bring this homework to class on Friday Jan. 16, but do not turn it in until the end of class. Note that A' is a notation for NOT(A). The symbol "*" is AND, "+" is OR

#1. Fill in the truth table below for the logic function $Out = A+BC$

A	B	C	Out
0	0	0	1
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	1
1	0	1	1
1	1	0	1
1	1	1	1

#2. Simplify the Boolean expression so that it has only three parameters (out of A, A', B, B', C, C'):

$$\begin{aligned}
 A'C + ABC &= \underline{\hspace{2cm}} (A' + AB)*C \underline{\hspace{2cm}} \\
 &= \underline{\hspace{2cm}} (A' + B)*C \underline{\hspace{2cm}} \\
 &= \underline{\hspace{2cm}}
 \end{aligned}$$

#3. Fill in the truth table for the Output of the function in problem #2.

A	B	C	Out
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	0
1	1	0	0
1	1	1	1

#4. Using DeMorgan's Theorem, express the function below as indicated.

$$F(A,B,C) = AC' + A'C' + BC'$$

$$\text{By chance, } (A + A')C' + BC' = C(1 + B) = C'$$

a. With only OR and Complement operations: **$(A'+C)'$ + $(A+C)'$ + $(B'+C)'$**

b. With only AND and Complement operations: **$((AC)'$ $(A'C)'$ $(BC)'$)'**

#5. In order to design a single stage logic circuit, we need to express the logic function so that only single literals are complemented [no complemented parentheses like $(A+B)'$]. Express the following logic functions that way (use DeMorgan's theorem):

$$(A' + B)'C + ((D + E')F)' = \underline{\hspace{2cm}} \text{ **$AB'C + (D+E)'$** }$$

$$= \underline{\hspace{2cm}} \text{ **$B'C + D' + E + F'$** }$$

$$(AB(C + D))' = \underline{\hspace{2cm}} \text{ **$(AB)'$ + $(C+D)$** }$$

$$= \underline{\hspace{2cm}} \text{ **$A' + B' + C + D$** }$$
